

# COMPUTER NETWORKS

## Data Link Layer - Logical Link Control

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# AGENDA

- Error Control
  - Failure Causes
  - Error Detection
  - Error Correction
- Flow Control
- Address Resolution

# ERROR CONTROL

- *How can errors occur?*
- *What are the consequences?*
- *What can be done?*

# FAILURE CAUSES

# FAILURE CAUSES

During the transmission of bit sequences on the physical layer errors may occur

They are typically caused by...

- **Signal deformation**
  - Attenuation of the transmission medium
- **Noise**
  - Thermal or electronic noise
- **Crosstalk**
  - Interference by neighboring channels
  - Capacitive coupling increases with increasing frequency
- **Short-time disturbances**
  - Cosmic radiation
  - Defective or insufficient insulation

Typical BER values

**POTS**  $2 * 10^{-4}$

**Radio link:**  $10^{-3} - 10^{-4}$

**Ethernet:**  $10^{-9} - 10^{-10}$

**Fiber:**  $10^{-10} - 10^{-12}$

**Burst errors** are more common than single bit errors

The LLC sublayer ensures that errors are **detected** and **handled**

# ERROR DETECTION

*How can we detect errors?*



# CHECKSUM

## Checksum

The checksum is calculated by a pre-defined algorithm for a block of data. They are typically used for the verification of the data integrity.

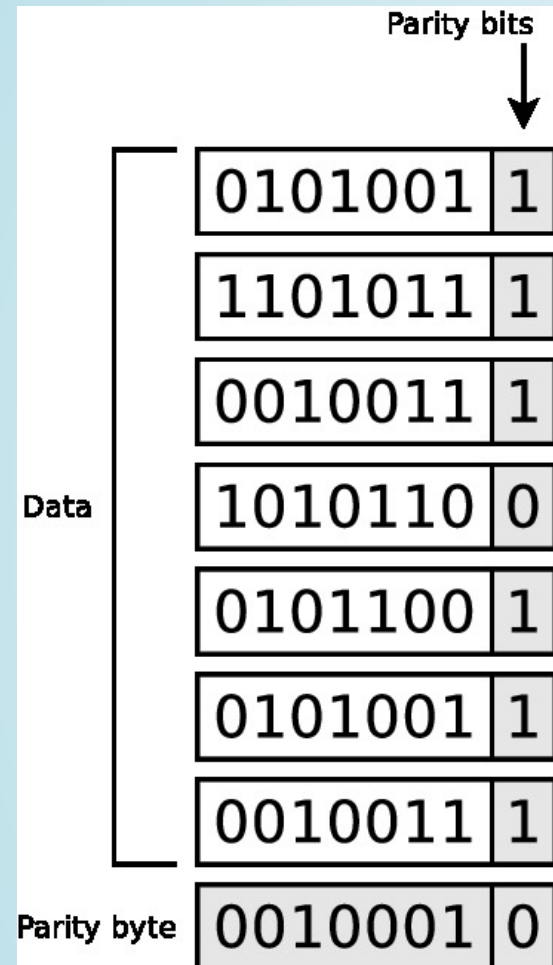
- For error detection, the sender attaches a **checksum** at each frame
- The receiver can now detect erroneous frames and **discard** them
- Possible checksums:
  - **Parity-check codes**
  - The polynomial code – **Cyclic Redundancy Checks (CRCs)**

*How many bits do we require for the checksum?*

# HAMMING DISTANCE

- Each message ( $\rightarrow$  **codeword**) of  $n$  bits contains  $m$  bits of **payload** and  $r$  bits of **checksum** (with  $n = m + r$  and  $r > 0$ )
- Typically all  $2^m$  **data messages** are allowed, but not all  $2^n$  **codewords** are valid
- The minimum distance between two valid codewords is called the **Hamming distance**
  - In order to detect  $d$  errors, the distance needs to be  $d + 1$ 
    - $\rightarrow d$  *flipped* bits won't create another valid codeword
  - In order to correct  $d$  errors, the distance needs to be  $2d + 1$ 
    - $\rightarrow$  The resulting word with  $d$  *flipped* bits is still closer to the original codeword than to any other

# ONE-DIMENSIONAL PARITY-CHECK CODE

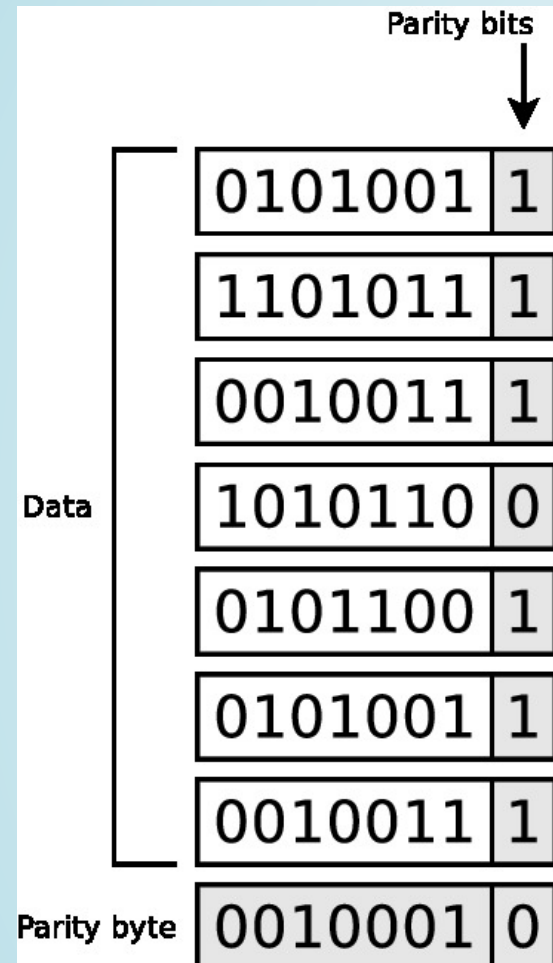


- Well-suited for short blocks of data, e.g., 7-bit US-ASCII characters
- For each 7-bit section, an additional **parity bit** is calculated and attached to balance out the number of 1 bits in the byte
  - If the protocol defines even parity, the parity bit is used to obtain an even number of 1 bits in every byte
  - If odd parity is desired, the parity bit is used to obtain an odd number of 1 bits in every byte

→ **one-dimensional parity-check code**

*What is the Hamming Distance here?*

# TWO-DIMENSIONAL PARITY-CHECK CODE



- For all byte exists an additional **parity byte**
  - The content of the parity byte is calculated over each byte of the frame
- ⇒ **two-dimensional parity-check code**
- All 1-bit, 2-bit and 3-bit errors and most of the 4-bit errors can be detected via two-dimensional parity-check codes

Source: Computernetzwerke, Larry L. Peterson, Bruce S. Davie, dpunkt (2008)

# CYCLIC REDUNDANCY CHECK (CRC)

- Bit sequences can be written as **polynomials** with the coefficients 0 and 1
- A frame with  **$k$  bits** is considered as a polynomial of **degree  $k - 1$** 
  - The most significant bit is the coefficient of  $x^{k-1}$
  - The next bit is the coefficient of  $x^{k-2}$
  - ...
- **Example:** The bit sequence **10011010** corresponds to this polynomial:

$$\begin{aligned}M(x) &= 1 * x^7 + 0 * x^6 + 0 * x^5 + 1 * x^4 + 1 * x^3 + 0 * x^2 + 1 * x^1 + 0 * x^0 \\ &= x^7 + x^4 + x^3 + x^1\end{aligned}$$

## Reminder

A polynomial is an expression which consists of variables and coefficients and non-negative integer exponents



# CRC GENERATOR POLYNOMIAL

- The CRC specification defines a **generator polynomial**  $C(x)$ 
  - The degree of the generator polynomial determines **how many bit errors** can be detected
- $C(x)$  is a polynomial of degree  $k$ 
  - If e.g.  $C(x) = x^3 + x^2 + x^0 = 1101$ , then  $k = 3$ 
    - Therefore, the degree of the generator polynomial is 3

The degree of the generator polynomial is equal to the number of bits minus one

# SELECTION OF COMMON GENERATOR POLYNOMIALS

- **CRC-5**  
**Polynomial:**  $x^5 + x^2 + x^0$   
**Representation:** 0x05  
**Application:** USB
- **CRC-8**  
**Polynomial:**  $x^8 + x^7 + x^5 + x^2 + x^1 + x^0$   
**Representation:** 0xA7  
**Application:** Bluetooth
- **CRC-16-IBM**  
**Polynomial:**  $x^{16} + x^{15} + x^2 + x^0$   
**Representation:** 0x8005  
**Application:** Bisync, Modbus
- **CRC-16-CCITT**  
**Polynomial:**  $x^{16} + x^{12} + x^5 + x^0$   
**Representation:** 0x1021  
**Application:** HDLC
- **CRC-32**  
**Polynomial:**  
 $x^{32} + x^{26} + x^{23} + x^{22} + x^{16} + x^{12} + x^{11} + x^{10} + x^8 + x^7 + x^5 + x^4 + x^2 + x^1 + x^0$   
**Representation:** 0x04C11DBB7  
**Application:** Ethernet



# CRC EXAMPLE: COMPUTATION

- **Result:** 01011 will be appended to the frame
- **Transmitted frame** including checksum (code polynomial):  
1010101011

<b>Generator polynomial:</b>	100101
<b>Frame (payload):</b>	10101
<b>Frame with appended 0 bits:</b>	1010100000
<b>Remainder:</b>	1011
<b>Transferred frame (code polynomial):</b>	1010101011

# CRC EXAMPLE: VERIFICATION

## TRANSMISSION **WITHOUT** ERROR

Transferred frame (code polynomial): 1010101011

Generator polynomial: 100101

- The receiver of the frame is able to verify, if the frame did arrive error-free
- By dividing (only via **XOR**) by the generator polynomial, transmissions with errors are detected
  - For division with XOR, always start with the first common **1**
- If the **remainder** of the division is **0**, then the transmission was **error-free**

### Verification (at the receiver)

```

1010101011
100101||||
-----vv||
  111110||
  100101||
  -----v|
    110111|
    100101|
    -----|
      100101
      100101
      -----
        0
  
```

# CRC EXAMPLE: VERIFICATION

## TRANSMISSION **WITH ERROR**

Transferred frame (code polynomial): 1110101011

Generator polynomial: 100101

**Correct Transmission:** 1010101011

- If the transmitted frame contains a defective bit, the remainder of the division via **XOR** not 0
- **CRC cannot detect all errors**

### Verification (at the receiver)

```

1110101011
100101| | | |
-----v| | |
 111110| | | |
 100101| | | |
-----v| | |
 110110| | | |
 100101| | | |
-----v| | |
 100111| | | |
 100101| | | |
-----v| | |
          101
  
```

# PROPERTIES OF CRCs

## Most important characteristic

A polynomial code with  $r$  check bits will detect all burst errors of length  $\leq r$

- If the error consists of a multiple of the polynomial code of the used CRC it will not be detected
- **CRC-16-CCITT** for example will detect
  - All single, double and three-bit errors
  - All error samples with odd number of bit errors
  - All error bursts with up to 16 bits (see above)
  - 99.997 % of all 17-bit error bursts
  - 99.998 % of all error bursts with lengths  $\geq 18$
- Calculation of CRC can be implemented by a **simple shift register circuit** in hardware

# ERROR CORRECTION

# FORWARD ERROR CORRECTION (FEC)

- Error correction requires **more redundant** information to be added compared to error detection
- Upon error detection the frame typically needs to be **retransmitted**
- $\Rightarrow$  For somewhat reliable transmission channels simple error detection is cheaper
- $\Rightarrow$  For error-prone transmission media ( $\rightarrow$  wireless communication) error-correction may be cheaper, because it reduces the amount of retransmissions
- (Forward) Error Correction can be realized via **Hamming code**
  - Named after the mathematician **Richard Wesley Hamming** (1915-1998)



# SIMPLE EXAMPLE OF ERROR CORRECTION

## Remember

In order to correct  $d$  errors a code needs a *Hamming distance* of  $2d + 1$

- Assume a code with only four valid codewords
  - $w_1 = 0000000000$
  - $w_2 = 0000011111$
  - $w_3 = 1111100000$
  - $w_4 = 1111111111$
- $\Rightarrow$  The **Hamming distance** is 5
  - It can **detect** up to four bit errors
  - It can **correct** up to two bit errors
- **Example:**
  - If 0000000111 is received, the original must be 0000011111 (**correct**)
  - If 0000000000 is changed to 0000000111, the error is not corrected properly

# FLOW CONTROL

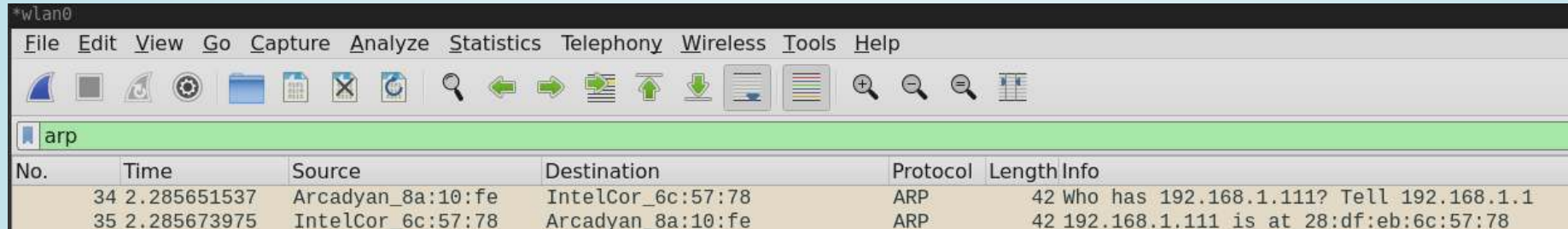


# RELIABLE TRANSMISSION THROUGH FLOW CONTROL

- Flow control allows the receiver to negotiate the **transmission speed** with the sender dynamically
    - **Less powerful** receivers or receivers under **high load** are not flooded with data
      - If a host receives data at a higher rate than it can handle it, data will get discarded and is lost
    - Concepts of flow control:
      - **Stop-and-Wait**
      - **Sliding-Window**
- Ethernet does not implement flow control mechanisms on Data Link Layer

# ADDRESS RESOLUTION

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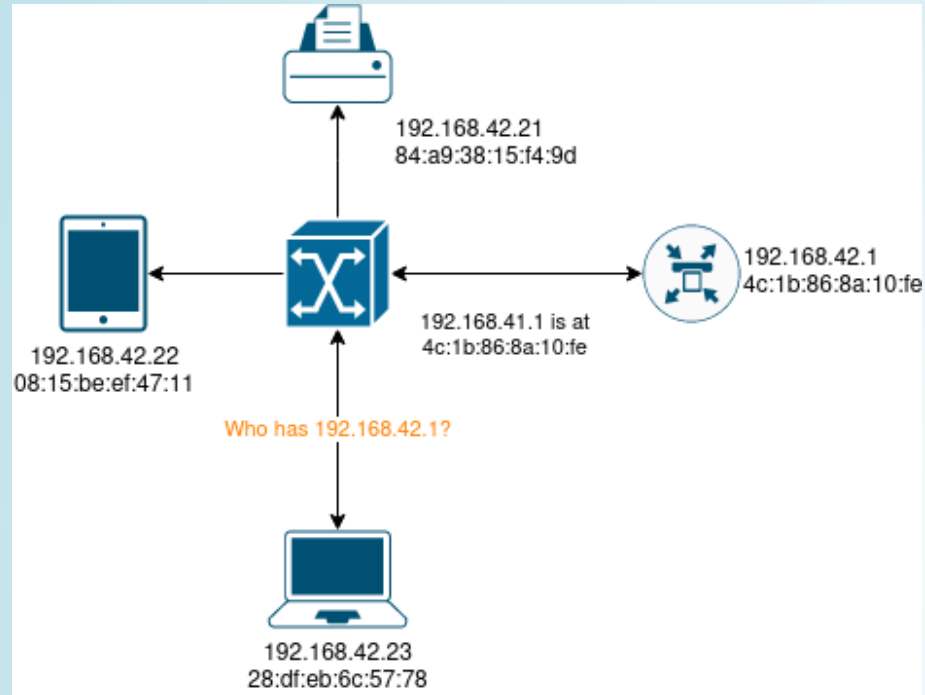
No.	Time	Source	Destination	Protocol	Length	Info
34	2.285651537	Arcadyan_8a:10:fe	IntelCor_6c:57:78	ARP	42	Who has 192.168.1.111? Tell 192.168.1.1
35	2.285673975	IntelCor_6c:57:78	Arcadyan_8a:10:fe	ARP	42	192.168.1.111 is at 28:df:eb:6c:57:78

- The network layer requires a **mapping** between **physical** and **logical network addresses**
- For **IPv4** the **Address Resolution Protocol (ARP)** is used to resolve IPv4 addresses to MAC addresses <sup>1</sup>
- For **IPv6** the **Neighbor Discovery Protocol (NDP)** accomplishes the same

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1. In fact, the original ARP specification, RFC 825, was written for IPv4 and Ethernet, but the functioning is not bound to IPv4 or any particular layer 2 protocol.

# IPV4: ADDRESS RESOLUTION PROTOCOL (ARP)



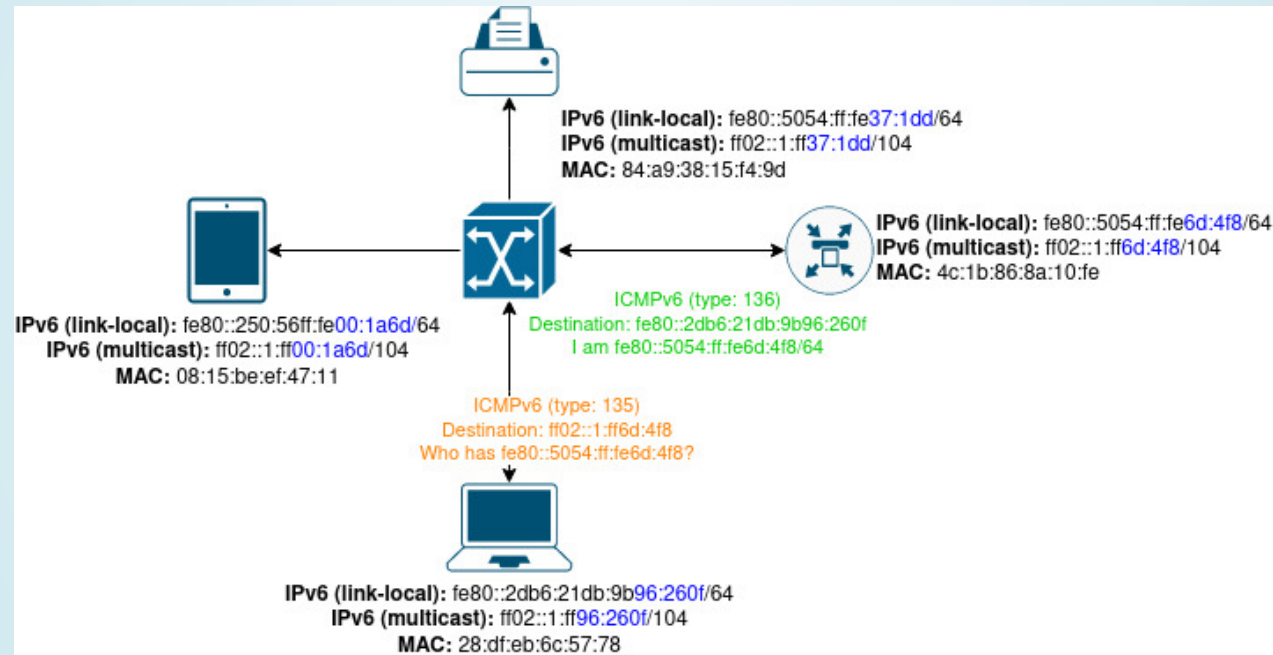
Simplified ARP message flow

ARP uses **broadcast** messages:

- To determine the MAC address of a network device in the LAN, it sends out a **MAC broadcast frame** containing the IP address
- Each network device that receives the frame compares this IP address to the address assigned to it
- If a network device has this IP address, it sends an ARP response to the sender via unicast
- The original sender can now map the source MAC address of the response to the searched IP address

# IPV6: NEIGHBOR DISCOVERY PROTOCOL (NDP)

In NDP **routers** and **nodes** can send proactively **advertisements** or be inquired via **router** and **neighbor solicitations**.



Simplified NDP message flow

# NEIGHBOR CACHE

The Neighbor cache can be displayed via `arp -n` or `ip neighbour`

```
# arp -n
Address                HWtype  HWaddress          Flags Mask          Iface
192.168.178.1          ether   9c:c7:a6:b9:32:aa  C                   wlan0
192.168.178.24         ether   d4:85:64:3b:9f:65  C                   wlan0
192.168.178.41         ether   ec:1f:72:70:08:25  C                   wlan0
192.168.178.25         ether   cc:3a:61:d3:b3:bc  C                   wlan0
```



# SUMMARY

You should now be able to answer the following questions:

- Which requirements need to be fulfilled to allow for error detection and correction?
- What is a CRC checksum and how does it work?
- For which purpose do we need ARP and NDP and how do they work?

